

Discussion on

A Theory of Liquidity and Regulation of Financial Intermediation

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This paper

- Three questions:
 - Can markets provide the correct amount of liquidity?
 - What is the precise nature of market failure if such exists?
 - Can a regulator design a simple policy to improve on competitive outcome?
- Diamond-Dybvig setup:
 - early and late consumers
 - two informational frictions:
 - * unobservable types
 - * unobservable trades
- Main result:
 - competitive equilibrium is suboptimal
 - simple welfare-enhancing intervention
 - * force intermediaries to increase short-term investment
- My view: simple, interesting analysis

The main idea

- Take a Diamond-Dybvig setup:

- three periods, $t \in \{0, 1, 2\}$
- continuum of individuals with preferences

$$\text{ex-ante } (t = 1) \quad U = \pi \cdot u(c_1) + (1 - \pi) \cdot \rho \cdot u(c_2)$$

$$\text{ex-post} \quad U = \begin{cases} u(c_1) & \text{for early consumers} \\ u(c_2) & \text{for late consumers} \end{cases}$$

- Individual endowment: 1 at $t = 0$
- Problem of the individual: how much to invest in
 - ST, short-term storage (yields 1 per unit invested at $t = 1$)
 - LT, long-term investment (yields R per unit invested at $t = 2$)
- Three possibilities:
 - autarchy
 - only bond markets
 - banks and bond markets

Autarchy and Bond Markets

- No trade among individuals
 - Clearly suboptimal, because
 - * Individuals invest some in LT and some in ST
 - * Early consumers consume less than 1, and
 - * Late consumers lose consume less than R
- What if there is a bond market at $t = 1$?
 - This makes everyone better-off
 - A fraction π of consumers invests 1 in ST and a fraction $(1 - \pi)$ in LT
 - At $t = 1$,
 - * $\pi \cdot (1 - \pi)$ consumers have LT investment but want to consume at $t = 1$: issue bonds
 - * $\pi \cdot (1 - \pi)$ consumers have ST investment but want to consume at $t = 1$: purchase bonds
 - * Only possible interest rate between $t = 1$ and $t = 2$ is R (i.e., price of bonds is $\frac{1}{R}$)
 - All early consumers get 1 and all late consumers get R
 - Can interest rate be lower (higher) than R ?
 - * NO, everyone would invest in LT (ST) technology

Financial Intermediaries

- Bonds improve over autarchy
- Still, no ex-ante optimality if

$$u'(c) > \rho \cdot R \cdot u'(R \cdot c)$$

- In this case, I want to transfer consumption from late to early contingency
 - Denote optimal consumption profile with $\{c_1^*, c_2^*\}$
- Cannot do that with non-contingent bond
- A financial intermediary can do that, suppose:
 - Individuals give 1 to bank at $t = 0$
 - Bank invests $\begin{cases} \pi \cdot c_1^* > \pi & \text{in ST} \\ (1 - \pi) \cdot \frac{c_2^*}{R} < (1 - \pi) & \text{in LT} \end{cases}$
 - Constrained optimality is achieved through “contingent” contract
- Is it a problem if contingency cannot be observed?
 - Not if contract is IC, so that
$$c_2^* \geq c_1^*$$
 - No incentive for late consumers to lie

The Problem

- What changes if now there is a bond market at $t = 1$?
 - Obviously, can only matter if trades are unobservable
 - Optimal contracts no longer IC
 - As before, interest rate between $t = 1$ and $t = 2$ must be R
 - * Otherwise, either all banks invest in ST or in LT
 - But with this interest rate, IC constraint becomes

$$c_2 \geq R \cdot c_1$$

- Hence, equilibrium contract will entail $\begin{cases} c_1^* = 1 \\ c_2^* = R \end{cases}$

Same as bond market!

The Solution (contribution)

- What is the problem?
 - Interest rate between $t = 1$ and $t = 2$
 - If optimal contract is to be IC, we need interest r such that

$$\frac{c_2^*}{c_1^*} = r < R$$

- At this interest rates, banks will want to
 - * Invest all in LT
 - * Borrow at rate r at $t = 1$
 - Don't let them!!!
 - * By forcing banks to invest at least $\pi \cdot c_1^*$ in ST
 - * Constrained optimality is achieved
- The authors then generalize this result to
 - more general preferences
 - aggregate shocks

General Comments

- Simple and natural result
 - Addresses a well-known problem in the literature
 - Solves it in an elegant and intuitive manner
 - Has policy implications
- Having said that, I would have liked more discussion:
 - Conceptually, what is the message of the paper?
 - * Relation to the literature (the authors list all possibly related papers)
 - In practice, explore some implications
 - * Coordination of liquidity requirements across countries

Specific Comment

- The result hinges on the fact that
 - bank's investment at $t = 0$ is observable
 - side trades are not
- If regulator forces bank to invest an amount X in ST: no problem
- Is this realistic?
 - If regulator forces bank to invest a share x of deposits in ST: potential problem
- Suppose the bank can engage in unobservable trades at time zero
 - In particular, trades of securities with individuals which:
 - * entitles individuals to a choice of an allocation at $t = 0$ or at $t = 1$
 - Then, the regulation might not work
 - * Banks might have an incentive to carry only unobservable trades with consumers
 - * They invest only in the LT and borrow at the market rate r at $t = 1$
 - What is the underlying assumption that prevents this?

Final Comments

- We have yet to fully grasp the conceptual/practical implications of contracting with
 - asymmetric information
 - hidden side trades
- In the adverse selection literature, this is especially the case
 - Exclusivity is a pervasive assumption
- Martin (2008) analyzes a model of adverse selection in the credit market
 - Introduction of side trades (even unobservable) are welfare-enhancing
 - They allow entrepreneurs to raise collateral: better screening in loan contracts